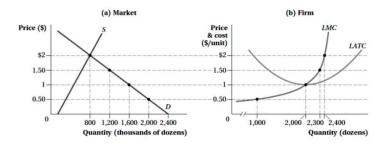
Chapter 8 - Profit Maximization in a Competitive Market

The egg industry comprises many firms producing an identical product. Supply and demand conditions are indicated in the left-hand panel of the figure below; the long-run cost curves of a representative egg producer are shown in the right-hand panel. Currently, the market price of eggs is \$2 per dozen, and at that price consumers are purchasing 800,000 dozen eggs per day.

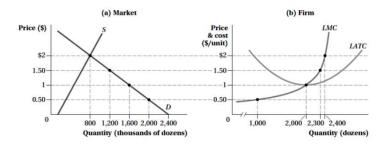
- Obtermine how many eggs each firm in the industry will produce if it wants to maximize profit.
- O How many firms are currently serving the industry?
- In the long run, what will the equilibrium price of eggs be? Explain your reasoning, and illustrate your reasoning by altering the graphs above.
- In the long run, how many eggs will the typical firm produce?
- In the long run, how many firms will comprise the industry?



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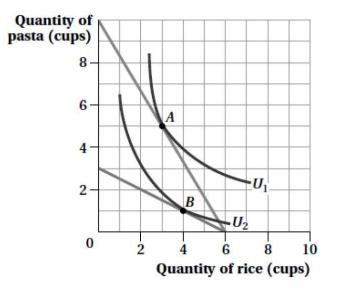
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Chapter 5 - Substitution and Income Effects

Suppose that Sonya faces an increase in the price of pasta, as depicted below, moving her from an optimum bundle of rice and pasta at A to an optimal bundle at B.

- Oraw a compensated budget line on the graph
- 2 Indicate the compensated optimal bundle (A') on the graph
- What is the substitution effect for rice? Show on graph
- $\textcircled{\sc 0}$ What is the substitution effect for pasta? Show on graph
- What is the income effect for rice? Show on graph
- What is the income effect for pasta? Show on graph
- What is the total effect for rice? Show on graph
- What is the total effect for pasta? Show on graph
- Is rice a normal good, inferior good or income inelastic for Sonya?
- Is pasta a normal good, inferior good or income inelastic for Sonya?



Good	Substitution Effect	Income Effect	Total Effect	Type of Good
Rice				
Pasta				

Chapter 6 - Production in Short-Run & Long-Run

A production function is given by $Q = 5K^{0.5}L^{1.5}$.

- What is the marginal product of capital (MP_K) ?
- **2** What is the marginal product of labor (MP_L) ?
- Ooes the production function exhibit diminishing marginal returns to capital?
- Obes the production function exhibit diminishing marginal returns to labor?
- So What is the marginal rate of technical substitution between labor and capital $(MRTS_{LK})$?

Chapter 4 - Consumer Utility Maximization Problem

Chrissy spends her income on fishing lures (*L*) and guitar picks (*G*). Lures are priced at \$2, while a package of guitar picks cost \$1. Assume that Chrissy has \$30 to spend and her utility function can be represented as $U(L, G) = L^{0.5}G^{0.5}$.

- What is Chrissy's marginal utility of lures (MU_L) ?
- **2** What is Chrissy's marginal utility of guitar picks (MU_G) ?
- What is Chrissy's marginal rate of substitution between lures and guitar picks (MRS_{LG})?
- What is the price ratio between lures and guitar picks $\left(\frac{P_L}{P_G}\right)$?
- What is the optimal number of lures and guitar picks for Chrissy to purchase?
- O How much utility does this combination bring her?

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Chapter 4A - Utility Maximization with the Lagrangian

Katie likes to paint and sit in the sun. Her utility function is U(P, S) = 3PS + 6P, where P is the number of paint brushes and S is the number of straw hats. The price of a paint brush is \$1 and the price of a straw hat is \$5. Katie has \$50 to spend on paint brushes and straw hats.

- What is Katie's objective function?
- What is Katie's constraint?
- Onstruct Katie's utility maximization problem statement.
- Convert Katie's utility maximization problem statement to Lagrangian form.
- Solve Katie's utility-maximization problem using a Lagrangian.
- O How much does Katie's utility increase if she receives an extra dollar to spend on paint brushes and straw hats?

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Chapter 5 - Market Demand Curve

Suppose that at a rural gas station in Toby Acres, there are only two customers, Johnny (who drives a 4X4 pickup) and Olivia (who drives a Prius). Johnny's demand for gasoline is $Q_J = 32-8P$, while Olivia's demand is $Q_O = 20-4P$, where Q is measured in gallons and P is the price per gallon.

- What is Johnny's demand choke price?
- What is Olivia's demand choke price?
- Solve for the market demand equation (as a piece-wise function) for gasoline at Toby Acres.
- Oraw the market demand curve in a graph for gasoline at Toby Acres.



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Chapter 6 - Cost Minimization in Short-Run & Long-Run

A firm is employing 100 workers (W = \$15/hour) and 50 units of capital (R = \$30/hour). At the firm's current input use, the marginal product of labor is 45 and the marginal product of capital is 60.

- Is this firm minimizing costs?
- If not, what changes should the firm make in the short-run?
- Similarly, what changes should the firm make in the long-run?

Chapter 6A - Cost Minimization with the Lagrangian

A firm has the production function $Q = K^{0.4}L^{0.6}$. The wage is \$60, and the rental rate on capital is \$20.

- What is the firm's objective function?
- What is the firm's constraint?
- What is the firm's cost-minimization problem statement?
- Onvert the cost-minimization problem statement to Lagrangian form.
- Solution Use the Lagrangian to find the firm's cost-minimizing amounts of capital and labor?

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Chapter 6 - Returns to Scale

Determine whether each of the production functions below displays constant, increasing, or decreasing returns to scale:

$$Q = (K^{0.75}L^{0.25})^2$$

$$Q = K + L + KL$$

 $\bigcirc Q = min(3K, 2L)$

Chapter 7 - Producer Costs

Suppose a firm's total cost curve is $TC = 15Q^2 + 8Q + 45$

- Find the firm's fixed cost, variable cost, average total cost, average variable cost and marginal cost.
- Ind the output level that minimizes average total cost.
- **③** Find the output level at which average variable cost is minimized.

Chapter 7 - Economies of Scale

Suppose the long-run total cost function for a firm is $LTC = 15,000Q-200Q^2 + Q^3$

- What is the firm's long-run average total cost function?
- What is the firm's long-run marginal cost function?
- What is the output level that minimizes average total cost?
- What is the firm's lowest average total cost?
- So For which levels of output will the firm face economies of scale?
- For which levels of output will the firm face diseconomies of scale?

Chapter 7A - Cost Structure in Short-Run vs. Long-Run

Margarita Robotics has a daily production function given by $Q = K^{0.5}L^{0.5}$, where K is the monthly number of hours of use for a precision lathe (capital) and L is the monthly number of machinist hours (labor). Suppose that each unit of capital costs \$40, and each unit of labor costs \$10. In the short run, \overline{K} is fixed at 16,000 hours.

- What is the short-run demand for labor?
- What are total cost, average total cost, average variable cost, and marginal cost in the short run?
- Oerive the cost-minimizing condition in the long run.
- What are the long-run demands for capital and labor?
- **5** Derive total cost, average cost, and marginal cost in the long run.

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